Answering Queries by Semantic Caches

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What is Semantic Query Caching?

Semantic query caching (SQC): Use the results of old queries

to answer new queries.

A semantic query cache (SQC) is a

- a local materialization of a query, annotated with
- a query expression.

Other types of caching used in databases:

- \bullet tuple-based
- page-based

It is unclear how tuple-based or page-based could be extended for heterogeneous database environments.

Semantic query caches also offer advantages. They

• exploit *semantic locality*.

(Dar, Franklin, Jonsson, & Srivastava [VLDB'96])

• offer greater flexibility.

- Caches can be *combined* to answer queries.

- Can determine when caches completely answer query.
- are easy to capture and store.

Applications of Semantic Query Caching

What can semantic query caching buy us, especially in a heterogeneous, mediated environment?

• Query optimization

- Improvement in overall query response time
 - (Traditional optimization)
- Saving money
- Optimization of queries with few answers
- Data Security
- Fault tolerance
- Approximate answering (aggregates)

(Hellerstein, Haas, & Wang [SIGMOD'97])

• Better user interaction

- Answer set pipelining
- Indirect answering
- Limiting the size of the answer set

Our Goals

Seek to define a **general framework** in *logic* for semantic query caching, and the use of semantic caches. Framework should be

• Relationally Complete

 All the relational algebra—including join and union—can be used across the caches to answer queries.

• Flexible

– Query may be only *partially* answerable via cache. In this case, the query should be answered in part via cache and the rest via evaluation.

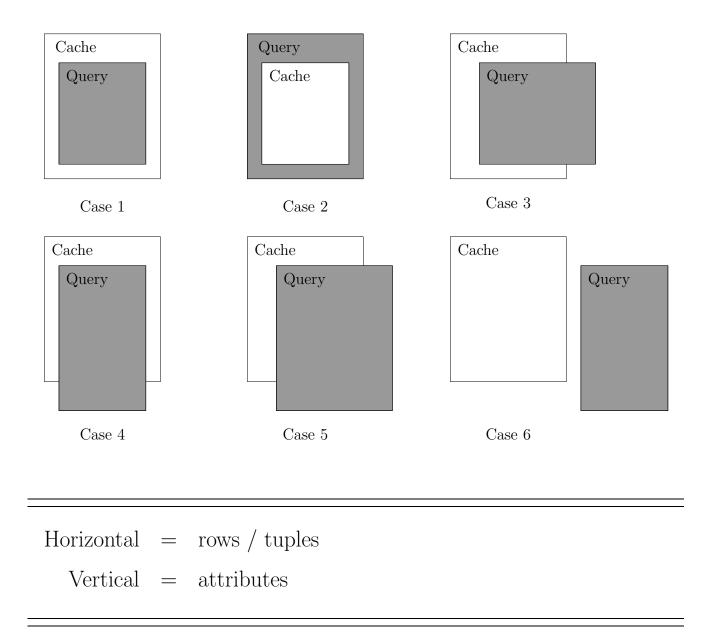
• Parameterizable

 SQC usage can be parameterized to be optimized for different purposes. For example, query optimization, and answer pipelining.

Problems at hand: (Outline)

- 1. Deciding when answers are in cache.
- 2. Extracting answers from cache.
- 3. Accessing semantic overlap / semantic independence.
- 4. Evaluating semantic remainders.

Relationships between Caches and Queries



Not interested in the *actual* tuples in common, but the tuples that must be in common.

Notation (Datalog)

Conjunctive Queries

 $\mathcal{Q}: \leftarrow employee (\underline{N}, S, A), benefits (S, P).$

Views / Rules (Intensional Predicates)

IDB & EDB

IDB: view definitions / rules

EDB: tables / facts

Cache Rules and Predicates

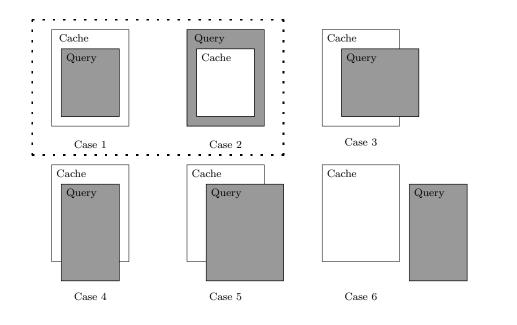
 $c_i(N) \leftarrow employee(N, S, A), benefits(S, P).$

Cache Expression (\mathcal{E})

Any conjunctive view (SPJ) written only with cache predicates.

Containment

When the query is contained by the caches



Questions

- 1. When is the query contained by the caches?
- 2. When can one answer, or partially answer, the query by the caches?

$$\mathsf{IDB} \models \forall. \ \mathcal{Q} \to (\mathcal{E}_1 \lor \ldots \lor \mathcal{E}_n)$$

Containment

Example

$$\mathcal{Q}: \leftarrow employee \ (\underline{N}, S, A), \ benefits \ (S, P).$$
$$\mathcal{C}_1: \ c_1 \ (N) \leftarrow employee \ (N, S, A), \ A < 50.$$
$$\mathcal{C}_2: \ c_2 \ (N) \leftarrow employee \ (N, S, A), \ A > 20.$$

 $\begin{aligned} \mathcal{E}_1: & c_1 \left(N \right) \\ \mathcal{E}_2: & c_2 \left(N \right) \end{aligned}$

$\mathsf{IDB} \models \forall. \ \mathcal{Q} \to (\mathcal{E}_1 \lor \mathcal{E}_2)$

However, one cannot extract the answers to \mathcal{Q} from \mathcal{C}_1 and \mathcal{C}_2 .

Containment

When the caches (partially) answer the query

 $\mathsf{IDB} \models \forall. \ \mathcal{E} \to \mathcal{Q}$

Equivalence

$$\mathsf{IDB} \models \forall. \mathcal{Q} \rightarrow (\mathcal{E}_1 \lor \ldots \lor \mathcal{E}_n)$$

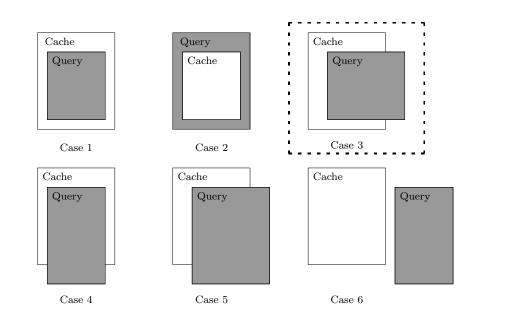
and, for each \mathcal{E}_i ,

$$\mathsf{IDB} \models \forall. \ \mathcal{E}_i \to \mathcal{Q}$$

The only known way to show equivalence is to show containment in both directions.

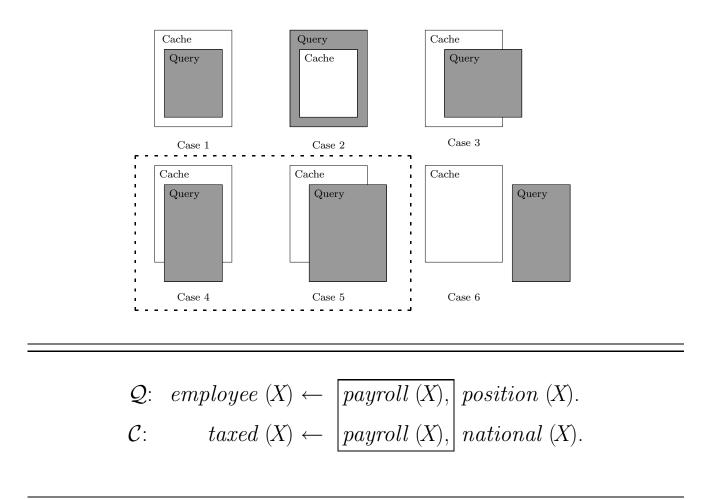
- There are cases when *all* answers are contained, but *cannot* be retrieved.
- If one can only answer part of the query by the caches, how does one (efficiently) answer the *rest*?

Abbreviated Containment



Abbreviated containment: Not all the attributes of the query can be retrieved, but a projection of the query is contained by the caches.

Or how containment is not the whole story



Trickier to capture than one might expect.

$$a (X) \leftarrow \begin{bmatrix} c (X), \\ X > 5. \\ c (X), \end{bmatrix} X > 5.$$
$$b (X) \leftarrow \begin{bmatrix} c (X), \\ X \le 5. \end{bmatrix}$$

Overlap Witness

First, there must exist a conjunctive query formula \mathcal{W} , called an *overlap witness*, such that

$$\models \forall. \ (\mathcal{Q} \to \mathcal{W}) \land (\mathcal{E} \to \mathcal{W})$$

For example,

 $\models \forall X. \ payroll \ (X) \land position \ (X) \rightarrow payroll \ (X)$ $\models \forall X. \ payroll \ (X) \land national \ (X) \rightarrow payroll \ (X)$

This means that there is a shared resource.

Problems:

- *True* for \mathcal{W} works.
- Does not guarantee that \mathcal{Q} and \mathcal{E} are semantically connected.

Overlap Formula

Second, there must exist a conjunctive query formula \mathcal{F} , called the *overlap formula*, such that

$$\models \forall. \ (\mathcal{F} \to \mathcal{Q}) \land (\mathcal{F} \to \mathcal{E})$$

For example,

 $\models \forall X. \ payroll \ (X) \land position \ (X) \land national \ (X) \rightarrow payroll \ (X) \land position \ (X)$ $\models \forall X. \ payroll \ (X) \land position \ (X) \land national \ (X) \rightarrow payroll \ (X) \land national \ (X)$

Problems:

• *False* for \mathcal{F} works.

Note that $\mathcal{Q} \wedge \mathcal{E}$ always works.

Both overlap witness and formula

If there is a non-tautological overlap witness and $\mathcal{Q} \wedge \mathcal{E}$ is not a contradiction (so there exists a non-contradictory overlap formula), then \mathcal{Q} and \mathcal{E} extensionally overlap.

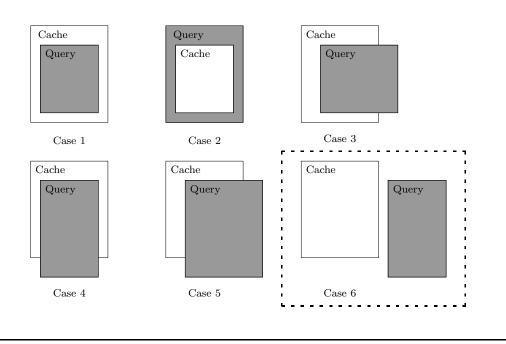
Interested in *most general* overlap formulas. \mathcal{F} is most general if there exists no \mathcal{G} such that

$$\models \forall. \ (\mathcal{F} \to \mathcal{G}) \text{ but } \not\models \forall. \ (\mathcal{G} \to \mathcal{F})$$

Intensional Overlap

Overlap with respect to IDB: There exist unfoldings $\mathcal{U}_{\mathcal{Q}}$ and $\mathcal{U}_{\mathcal{E}}$ of \mathcal{Q} and \mathcal{E} , respectively, such that $\mathcal{U}_{\mathcal{Q}}$ and $\mathcal{U}_{\mathcal{E}}$ extensionally overlap.

Semantic Independence



Only once we have defined semantic overlap can we then define *semantic independence*.

 \mathcal{Q} and \mathcal{E} are *semantically independent iff* they do not intensionally overlap in any way.

Semantic Remainder

 $\begin{aligned} \mathcal{Q}: &\leftarrow employee \ (\underline{N}, S, A). \\ \mathcal{C}: \ c \ (N) \leftarrow employee \ (N, S, A), \ benefits \ (S, _). \\ \mathcal{R}: \ benefits \ (S, B) \leftarrow position \ (S, P), \ package \ (P, B). \end{aligned}$

One can partially answer \mathcal{Q} by the cache \mathcal{C} . Next, how to find the remaining answers?

Let $\llbracket \mathcal{Q} \rrbracket$ denote the answer set of \mathcal{Q} .

Let $\mathcal{Q} \setminus \mathcal{E}$ be called a *discounted query*: It at least evaluates to those answers of \mathcal{Q} that cannot be retrieved via \mathcal{E} .

Two degenerate ways to define $\mathcal{Q} \setminus \mathcal{E}$ are

- 1. $\mathcal{Q} \in \mathcal{E} \equiv \mathcal{Q}$ $(\llbracket \mathcal{Q} \in \rrbracket = \llbracket \mathcal{Q} \rrbracket)$
- 2. $\mathcal{Q} \in \mathcal{E} \equiv \mathcal{Q} \wedge \operatorname{not} \mathcal{E} \qquad (\llbracket \mathcal{Q} \in \mathbb{Z} \rrbracket = \llbracket \mathcal{Q} \rrbracket \llbracket \mathcal{E} \rrbracket)$

Properties for Discounted Queries

• soundness

$$\llbracket \mathcal{Q} {\scriptstyle \backslash} \mathcal{E} \rrbracket \subseteq \llbracket \mathcal{Q} \rrbracket$$

• completeness

$$\llbracket \mathcal{Q} - \mathcal{E}
rbracket \subseteq \llbracket \mathcal{Q} ackslash \mathcal{E}
rbracket$$

• independence

 $\mathcal{Q} \setminus \mathcal{E}$ and \mathcal{E} should be semantically independent.

• uniformity

$$\llbracket \mathcal{Q}_{\boldsymbol{\lambda}} \mathcal{E} \rrbracket - \llbracket \mathcal{E}_{\boldsymbol{\lambda}} \mathcal{Q} \rrbracket = \llbracket \mathcal{Q} \rrbracket - \llbracket \mathcal{E} \rrbracket$$

• cost effectiveness

Evaluating $\mathcal{Q} \setminus \mathcal{E}$ and \mathcal{E} should cost less than evaluating \mathcal{Q} .

Related Work

• Semantic Query Caching

- Adalı, Candan, Papakonst., & Subrahmanian [SIGMOD'96]
- Dar, Franklin, Jonsson, Srivastava, & Tan [VLDB'96]
- Godfrey & Gryz [KRDB'97]
- Godfrey & Gryz [ICDT'99]
- Keller & Basu [VLDB Journal 1996]

• Answering Queries using Views

(Logical Views, Mat. Views, & Query Folding)

- Chen & Roussopoulos [EDBT'94]
- Gupta, Mumick, & Ross [SIGMOD'95]
- Levy, Mendelzon, Sagiv, Srivastava [PODS'95]
- -Qian [ICDE'96]
- Shmueli [PODS'87]
- Ullman [ICDT'97]

• Description Logics

- Goñi, Bermúdez, Blanco, & Illarramendi [KRDB'96]
- Levy & Rousset [KRDB'96]

• Semantic Query Optimization

- Godfrey, Gryz, & Minker [ISMIS'96]
- Godfrey & Gryz [DDLP'96]
- Godfrey & Gryz [DOOD'97]

Future Work

- formalization

• Formalize notion, or notions, of $\mathcal{Q} \setminus \mathcal{E}$.

- algorithms

- Reasoning over conjunctive query containment and Datalog containment is computationally hard.
- What are good (possibly incomplete) tractable algorithms for important sub-classes of containment and overlap?

- optimization

- \circ What would *cost models* for SQC be?
- What are good evaluation strategies for discounted queries?

- cache currency

• Can caches be kept "reasonably" current inexpensively?

- cache maintenance

- What would be a reasonable cache maintenance strategy?
- When should caches be combined / split?